

# Implementing ODA from Within Stata: Directional Hypothesis, Multicategorical Class Variable and Attribute

Paul R. Yarnold, Ph.D. and Ariel Linden, Dr.P.H.  
Optimal Data Analysis, LLC      Linden Consulting Group, LLC

This paper demonstrates how to evaluate a confirmatory (directional) hypothesis for a design involving a multicategorical class (“dependent”) variable and a multicategorical attribute (“independent variable”) using the new Stata package for implementing ODA.

Recent papers<sup>1-18</sup> introduce the new Stata package called **oda**<sup>19</sup> for implementing ODA from within the Stata environment. Because this package is a wrapper for the MegaODA software system<sup>20-22</sup>, the MegaODA.exe file must be loaded on the computer for the **oda** package to work (MegaODA software is available at <https://odajournal.com/resources/>). To download the **oda** package, at the Stata command line type: “ssc install oda” (without the quotation marks). This paper demonstrates use of the **oda** package to evaluate a nondirectional hypothesis for a square design involving a three-category class variable and attribute.

## Methods

### Data

As an example of a directional hypothesis involving a multicategorical class variable and a multicategorical attribute, consider Reynold’s

data on political affiliation of 1,852 high school students and their parents.<sup>23</sup>

Table 1 is the cross-classification of the class variable *student* having seven mutually-exclusive exhaustive *response* options (strong Democrat=1; Democrat=2; Independent-Democrat=3; Independent=4; strong Republican =5; Republican=6; Independent Republican=7), and the attribute *region* which consists of the identically-coded set of seven mutually-exclusive exhaustive response options. For example, the intersection of column 3 (Ind-Dem) and row 4 (Ind) indicates 32 Independent students have parents who are Independent-Democrats.

Note that the *left-hand* side of the coding scheme begins with Strong Democrat, code=1. To preserve the symmetric (unidimensional) ordinal structure of measurement codes across the entire scale, the *right-hand* side of the coding scheme *should* begin with Strong Republican, having code=7. Similarly, to preserve the measurement symmetry, the second element of

Table 1: Political Affiliation Status of High School *Students* and Their *Parents*<sup>23</sup>:  
 Dem=Democrat; Ind=Independent; Rep=Republican (Tabled are *N*)

<u>Student's Political Affiliation</u>	<u>Parent's Political Affiliation</u>						
	<u>Strong Dem</u>	<u>Dem</u>	<u>Ind-Dem</u>	<u>Ind</u>	<u>Strong Rep</u>	<u>Rep</u>	<u>Ind-Rep</u>
Strong Dem	180	108	30	20	2	5	3
Dem	147	167	39	30	10	38	17
Ind-Dem	63	78	38	30	14	30	14
Ind	33	49	32	50	17	42	14
Strong Rep	9	13	14	23	17	35	45
Rep	16	29	14	23	17	92	61
Ind-Rep	9	13	4	10	9	35	64

the right-hand coding scheme should be Republican (code=6), and the third element should be Independent-Republican (code=5).

Analytic Process

The directional (“one-sided”) *a priori* hypothesis is family members have the same political affiliation, and the null hypothesis is that family members *do not* have the same political affiliation. Exact *p* is estimated by a 25,000-iteration permutation test. For the entire sample, **oda** is implemented with the following syntax (see the help file for **oda** for a complete description of syntax options):

```
oda student parents, pathoda("C:\ODA\")
store("C:\ODA") iter(25000) cat
dir(< 1 2 3 4 5 6 7)
```

This syntax is explained as follows: “student” is the *class* variable and “parents” is the *attribute*; “C:\ODA\” is the directory path where the MegaODA.exe file exists on the computer, and where all other files generated in analysis are stored; the number of iterations (repetitions) used to compute a permutation *p*-value is 25,000; the attribute (parents) is categorical; and the directional hypothesis is that code assignments made by the students and

the parents agree. Data for each observation was entered in free format on a separate line using space-delimited text (ASCII) characters.<sup>24,25</sup>

The **oda** package produces an extract of the total output produced by the ODA software (the complete output is stored in the specified directory with the extension “.out”).

```
ODA model:
-----
IF PARENTS = 1 THEN STUDENT = 1
IF PARENTS = 2 THEN STUDENT = 2
IF PARENTS = 3 THEN STUDENT = 3
IF PARENTS = 4 THEN STUDENT = 4
IF PARENTS = 5 THEN STUDENT = 5
IF PARENTS = 6 THEN STUDENT = 6
IF PARENTS = 7 THEN STUDENT = 7

Summary for Class STUDENT Attribute PARENTS
-----
Performance Index          Train
-----
Overall Accuracy          32.83%
PAC STUDENT=1             51.72%
PAC STUDENT=2             37.28%
PAC STUDENT=3             14.23%
PAC STUDENT=4             21.10%
PAC STUDENT=5             10.90%
PAC STUDENT=6             36.51%
PAC STUDENT=7             44.44%
Effect Strength PAC       19.36%
PV STUDENT=1              39.39%
PV STUDENT=2              36.54%
PV STUDENT=3              22.22%
PV STUDENT=4              26.88%
PV STUDENT=5              19.77%
PV STUDENT=6              33.21%
PV STUDENT=7              29.36%
Effect Strength PV        17.90%
Effect Strength Total     18.63%

Monte Carlo summary (Fisher randomization):
-----
Iterations: 25000
Estimated p: 0.000000
```

Seen in the `oda` output, the ODA model is interpreted as follows: “student’s and parents’ political affiliation codes are the same”. The effect strength for sensitivity (ESS) is labelled in the output as the “Effect Strength PAC” (i.e., Percentage Accurate Classification). Presently, ESS=19.36% (a relatively weak effect).<sup>26</sup> The permutation  $p$ -value was <0.0001.

In summary, ODA was able to verify that political affiliations of students and their parents exhibit a statistically significant, but relatively weak tendency to have the identical political affiliation.

We believe ODA should be considered the preferred statistical approach over other methods because it avoids statistical assumptions required of conventional models, is insensitive to skewed data or outliers, and has the ability to handle any variable metric including categorical, Likert-type integer, and real number measurement scales.<sup>24</sup> In contrast to alternative methods, only ODA can identify the optimal (maximum-accuracy) assignments (categorical attributes) or cutpoints (ordered attributes) that exist for the attribute, which in turn facilitates the use of measures of predictive accuracy.

Furthermore, ODA can evaluate model reproducibility by multiple methods, allowing assessment of potential cross-generalizability of the model applied to classify an independent random sample.<sup>24</sup>

For these reasons we recommend that researchers employ ODA and CTA frameworks to evaluate the statistical hypotheses which are explored in their laboratory and field research endeavors.<sup>27-46</sup>

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#### Author Notes

No conflicts of interest were reported.